Progressive Education Society's Modern College of Arts, Science and Commerce,

Shivajinagar, Pune 5

(An Autonomous College Affiliated to Savitribai Phule Pune University)

Detailed Syllabus

For B.Sc. Statistics

(2019-20 Course)

(with effect from 2019-20)

Semester 1 (First Year)

Course Type	Course Code	Course / Paper Title	Hours / Week	Credit	CIA	End Sem xam	Total
CCT-1	19CSStaU101	Descriptive Statistics-I	3	2	40	60	100
CCT-2	19CSStaU102	Discrete probability distributions-I	3	2	40	60	100
CCP-1	19CSStaU103	Statistics Practical – I	4	2	40	60	100
		Total		6	120	180	300

Semester II (First Year)

Course Type	Course Code	Course / Paper Title	Hours / Week	Credit	CIA	End Sem	Total
CCT-1	19CSStaU201	Descriptive Statistics-II	3	2	40	60	100
CCT-2	19CSStaU202	Discrete Probability Distribution-II	3	2	40	60	100
CCP-1	19CSStaU203	Statistics Practical –II	-	2	40	60	100
		Total		6	120	180	300

Course Code: 19ScStaU101 Course Name: Descriptive Statistics - I

Teaching Scheme: TH: 3 Lectures /WeekCredit: 02Examination Scheme: CIA: 40 MarksEnd-Sem: 60 Marks

Objectives:

- The main objective of this course is to acquaint students with some basic concepts in Statistics. They will be introduced to some elementary statistical methods of analysis of data
- To compute various measures of central tendency, dispersion, skewness and kurtosis.
- Studying qualitative (categorical) data

Course Outcomes:

- This course imparts the knowledge about summary measures, correlation between two variables.
- By learning this course students will be able to apply these methods to real life situations, draw valid conclusions and write interpretations.

Course Content :

	Title and content	Lectures
Chapter 1	Introduction to Statistics	2
	 1.1 Meaning of Statistics as a science. 1.2 Importance of Statistics. 1.3 Scope of Statistics: In the field of Industry, Biological sciences, Medical sciences, Economics, Social sciences, Management sciences, Agriculture, Insurance, Information Technology, Education and Psychology. 1.4 Statistical organizations in India and their functions: CSO, ISI, NSSO, IIPS, Bureau of Economics and Statistics. 1.5 Introduction to contributions by Indian Statisticians :P C Mahalnobis P V Sukhatme, C R Rao, V. S. Huzurbazar 	
Chapter 2	Population and Sample	4

1	2.1 Truess of all and stanistics.	
	2.1 Types of characteristics:	
	Attributes: Nominal scale, ordinal scale, Likert scale.	
	Variables: Interval scale, ratio scale.	
	Discrete and continuous variables.	
	2.2 Types of data:	
	(a) Primary data, Secondary data.	
	(b) Cross-sectional data, Time series data, Directional	
	data.	
	2.3 Data validation, data visualization technique : Heat	
	map, Correlogram, Mosaic plot.	
	2.4 Notion of a statistical population and sample: Finite	
	population, infinite population, homogeneous population	
	and heterogeneous population. sample and a random sample.	
	2.5 Methods of sampling (description only): Simple	
	random sampling with and without replacement (SRSWR	
	and SRSWOR), Stratified Random Sampling, Systematic	
	Sampling, Cluster sampling and Two-stage sampling.	
Chapter 3	Summary Statistics	14
1	3.1 Classification: Raw data and its classification,	
	Ungrouped frequency distribution, grouped frequency	
	distribution, cumulative frequency distribution, inclusive and	
	exclusive methods of classification, open end classes, relative	
	exclusive memous of classification, open end classes, relative	
	frequency distribution.	
	frequency distribution.	
	frequency distribution.3.2 Measures of Central Tendency	
	frequency distribution.3.2 Measures of Central TendencyConcept of central tendency of statistical data, Statistical	
	 frequency distribution. 3.2 Measures of Central Tendency Concept of central tendency of statistical data, Statistical averages, characteristics of a good statistical average. 	
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	 frequency distribution. 3.2 Measures of Central Tendency Concept of central tendency of statistical data, Statistical averages, characteristics of a good statistical average. Arithmetic Mean (A.M.): Definition, effect of change of origin and scale, combined mean of a number of groups, merits and demerits, trimmed arithmetic mean. Mode and Median: Definition, merits and demerits. Empirical relation between mean, median and mode. Partition values: Quartiles, Deciles and Percentiles. Geometric Mean (H.M.): Definition, merits and demerits. Harmonic Mean (H.M.): Definition, merits and demerits. Weighted Mean: weighted A.M., G.M. and H.M. 	

	dispersion.	
	Range, Semi-interquartile range (Quartile deviation):	
	Definition, merits and demerits.	
	Mean deviation: Definition, merits and demerits, minimality	
	property (without proof)	
	Variance and standard deviation: Definition, merits and	
	demerits, effect of change of origin and scale, combined	
	variance for n groups (derivation for two groups).	
	Mean squared deviation: Definition, minimality property of	
	mean squared deviation.	
	Measures of dispersion for comparison:	
	Coefficient of range, coefficient of quartile deviation and	
	coefficient of mean deviation, coefficient of	
	variation(C.V.).	
Chapter 4	Moments, Skewness and Kurtosis	9
	4.1 Moments:Raw moments (m'r) for ungrouped and grouped	
	data. Central moments (mr) for ungrouped and grouped	
	data, Effect of change of origin and scale. Relations between	
	central moments and raw moments upto 4 th order (with	
	proof).	
	4.2 Concept of skewness of frequency distribution, positive	
	skewness, negative skewness, symmetric	
	frequencydistribution and its relation with central tendency.	
	Bowley's coefficient of skewness :Bowley's coefficient of	
	skewness lies between -1 to 1, interpretation using box and	
	whisker plot.	
	Karl Pearson's coefficient of skewness.	
	Measures of Skewness based on moments(β_1,γ_1).	
	4.3 Concepts of kurtosis, Types of kurtosis: Leptokurtic,	
	Mesokrtic and Platykurticfrequency distributions and its	
	relation with dispersion. Measures of kurtosis based on	
	moments($\beta_{2,\gamma_{2}}$).	
	4.4 Properties of β_1 and β_2 (i) $\beta_2 \ge 1$	
	(i) $\beta_2 \ge \beta_1 + 1$ (i) $\beta_2 \ge \beta_1 + 1$	
Chapter 5	Theory of Attributes	6
Chapter 5		0

	 5.1 Attributes: Classification, notion of manifold classification, dichotomy, class frequency, order of a class, positive class frequency, negative class frequency, ultimate class frequency, relationship among different class frequencies (up to three attributes), and dot operator to find the relation between frequencies, fundamental set of class frequencies. 5.2 Consistency of data up to 3attributes. 5.3 Concepts of independence and association of two attributes 5.4 Yule's coefficient of association (Q), -1 ≤ Q 1, 	
Chapter 6	interpretation. Experiential Earning	1

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- **14.** Snedecor G. W. and Cochran W. G.(1989). Statistical Methods, Eighth Ed. East-WestPress.Wayne (2004). Biostatistics, 7th edition, Publisher: Wiley.

Course Code: 19ScStaU102 Course Name: Discrete Probability Distribution - I

Teaching Scheme: TH: 3 Lectures /Week	Credit: 02
Examination Scheme: CIA: 40 Marks	End-Sem: 60 Marks

Objectives: To introduce to students

- The basic concepts of probability, axiomatic approach of probability, concept of independence of two events, conditional probability and Bayes' law
- The concept of random variable and univariate probability distribution.
- The concept of independence of study variables involved.
- Standard discrete probability distributions based on finite sample space.

Course Outcomes: At the end of the course students are expected to

- Distinguish between random and non random experiments.
- Study the concept of probability of event
- Identify random variable(s) of interest in different real life situations and find probability distribution of these variables

Course	Content:
Course	

	Title and content	Lectures
Chapter 1	Review of Permutations and combinations, probability	7
	 1.1 Experiments/Models, deterministic and non- deterministic models. Random experiment, concept of statistical regularity. 1.2 Definitions of - (i) Sample space, (ii) Discrete sample space: finite and countably infinite, (iii) Continuous sample space , (iv) Event, (v) Elementary event, (vi) Complement of an event, 	

	(vii) Certain event, (viii) Impossible event.	
	1.3 Concept of occurrence of an event.	
	1.4 Algebra of events and its representation in set theory	
	notation.	
	1.5 Classical definition of probability and its limitations.	
	1.6 Probability model, equiprobable and non-	
	equiprobable sample space.	
	1.7 Axiomatic definition of probability, theorems on	
	probability, proofs based on axiomatic definition,	
	computation of probability of an event	
	computation of producting of an event	
Chapter 2	Conditional probability, Independence and Bayes'Theorem	7
	2.1 Conditional probability of an event.	
	2.2Independence of two events.	
	2.3 Pair-wise independence and mutual independence for	
	three events.	
	2.4 Multiplication theorem $P(A \cap B) = P(A) \cdot P(B A)$ and	
	its	
	generalization.	
	2.5 Partition of the sample space.	
	2.6 Proof of Bayes' theorem, Applications of Bayes'	
Charter 2	theorem in real life.	10
Chapter 3	Univariate Probability Distributions	12
	3.1 Concept and definition of a discrete random	
	variable.	
	3.2 Probability mass function (p.m.f.) and distribution	
	function (d.f.), $F_X(\cdot)$, of discrete random variable,	
	Characteristic properties of distribution function.	
	3.3 Mode and median of a univariate discrete	
	probability distribution.	
	3.4 Definition of expectation (mean) of a random	
	variable, properties of expectation, expectation of	
	a function of a random variable, moment	
	generating function (m.g.f.) and cumulant	
	generating function(c.g.f.) and their properties.	
	3.5 Definitions of variance, properties of variance, standard	
	deviation (s.d.) and coefficient of variation (c.v.) of	
1	univariate probability distribution	
	3.6 Definition of raw, central moments and factorial raw	

	 moments of univariate probability distributions and their interrelations. 3.7 Coefficients of skewness and kurtosis based on moments. 2.8 Examples and Problems 	
Chapter 4	3.8 Examples and Problems. Discrete Probability Distributions based on finite	9
	sample space-I	
	4.1Degenerate distribution (one point distribution) Pmf: $P(X=c) = 1$, mean and variance. 4.2 Uniform discrete distribution on integers 1 to n: $p.m.f.P(X=x) = \begin{cases} \frac{1}{n} & , x = 1, 2, \dots, n. \\ 0 & \text{otherwise.} \end{cases}$ mean, variance, M.G.F, distribution of sum of two discrete uniform random variable 4.3 Bernoulli distribution: p.m.f. $P(X=x) = \begin{cases} p^{x}(1-p)^{1-x} & , x = 0, 1 \\ 0 & \text{otherwise} \end{cases}$	
	mean, variance ,M.G.F. and moments. Distribution of sum of two independent Bernoulli random variable.	
Chapter 5	Experiential Earning	1

References:

- 1. Dr.Dixit P.G, Dr.Prayag V.R., Kapre P. S. Discretr probability and Probability distributions, Niraliprakashan., Pune
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Links:

https://mahades.mamarashtra.gov.in

www.mospi.gov.in

http://www.isical.ac.in

https://iipsindia.org

Course Code: 19ScStaU103 Course Name: Statistics Practical

Teaching Scheme: TH: 3 Lectures /WeekCredit: 02Examination Scheme: CIA: 40 MarksEnd-Sem: 60 Marks

Pre-requisites: Knowledge of the topics in theory papers I and II.

Course Outcome: At the end of this course students are expected to be able

- To use various graphical and diagrammatic techniques and interpret.
- To compute various measures of central tendency, dispersion, skewness and kurtosis.
- To compute correlation coefficient.
- To analyse data pertaining to discrete and continuous variables and to interpret the results,
- To compute probabilities of univariate distributions,
- To interpret summary statistics of output generated by Computer Software.
- To summarize and analyze the data using Computer Software.

	Title of Experiment/ Practical
1	Diagrammatic and Graphical representation of statistical data.
2	Tabulation and Data interpretation.
3	Use of random number tables to draw SRSWOR, SRSWR, stratified sample and systematic sample
4	Computation of measures of central tendency and dispersion (ungrouped data). Use of an appropriate measure and interpretation
	of results and computation of partition values
5	Computation of measures of central tendency and dispersion (grouped data). Use of an appropriate measure and interpretation of results and computation of partition values.
6	Measures of skewness and kurtosis, Box plot
7	Attributes

8	Graphical and diagrammatic representation of statistical data using
	R
9	Use of random numbers to draw SRSWOR, SRSWR, Stratified
	sample and systematic sample using MS Excel
10	Computation of summary statistics using MS Excel

Course Code: 19ScStaU201 Course Name: Descriptive Statistics - II

Teaching Scheme: TH: 3 Lectures /WeekCredit: 02Examination Scheme: CIA: 40 MarksEnd-Sem: 60 Marks

Objectives:

- The main objective of this course is to acquaint students with some concepts in Statistics.
- They will be introduced to some statistical methods of analysis of data:
 - To compute the correlation coefficient for bivariate data and interpret it.
 - Fitting linear regression model to the bivariate data.
 - Fitting second degree and exponential curves to bivariate data. .
 - Computing various index numbers and their interpretation.

Course outcomes:

- This course imparts the knowledge about correlation and regression analysis for bivariate and index numbers and analysis of qualitative data.
- By learning this course students will be able to apply these methods to real life situations, draw valid conclusions and their interpretations.

Course Content:

	Title and content	lectures
Chapter 1	Correlation	9
	1.1 Bivariate data, Scatter diagram and interpretation.	
	1.2 Concept of correlation between two variables,	
	positive correlation, negative correlation, nocorrelation.	
	1.3 Covariance between two variables (m11) : Definition,	
	computation, effect of change of origin and scale.	
	1.4 Karl Pearson's coefficient of correlation (r) :	
	Definition,	
	Properties:	
	(i) $-1 \le r \le 1$ (with proof),	
	(ii) Effect of change of origin and scale	

	(withproof). computation for ungrouped data and	
	grouped frequency distributed data with interpretation.	
	1.5 Spearman's rank correlation coefficient: Definition,	
	derivation of formula, computation and interpretation	
	(without ties). In case of ties, compute Karl Pearson's	
	correlation coefficient between ranks. (Spearman's	
	rank correlation coefficient formula with correction for	
	ties not expected.)	
Chapter 2	Regression	12
	2.1 Meaning of regression, difference between correlation	
	and regression.	
	2.2 Concept of error in regression, error modeled as a	
	continuous random variable. Simple linear regression	
	model: $Y = a + b X + \varepsilon$, where ε is a continuous	
	random variable with $E(\epsilon) = 0$, $V(\epsilon) = \sigma^2$. Estimation	
	of a, b by the method of least squares. Interpretation	
	of parameters. Statement of the estimator of σ^2 .	
	Concept of residual, plot of residual against X, concept	
	of coefficient of determination.	
	Concept of missing data and outlier.	-
Chapter 3	Curve fitting	6
	3.1 Fitting of second degree curve ($Y = a + b X + cX^2$),	
	3.2 Fitting of exponential curves of the type $Y = a b^X$ and	
	$Y = aX^b$. In all these curves, constants are estimated by	
	the method of least squares.	
Chapter 4	Index Numbers	8
	4.1 Introduction of index numbers.	
	4.2 Definition and meaning.	
	4.3 Problems/considerations in the construction of index	
	numbers.	
	4.4 Simple and weighted price index numbers based on	
	price relatives.	
	4.5 Simple and weighted index numbers based on	

	aggregates.	
	4.6 Laspeyre's, Paasche's and Fisher's Index numbers.	
	4.7 Time reversal Test, factor reversal test, circular test.	
	4.8 Consumer price index number: Considerations in its	
	construction.	
	4.9 Methods of construction of consumer price index	
	number: (i) Family budget method (ii) Aggregate	
	expenditure method.	
	4.10 Base shifting and deflating.	
Chapter 5	Experiential Earning	1
 Gupta, S. Edition, S Hogg,R.V MacMilla Agarwal Publisher B.L.S. Pr Scientific Hoel P. C NewYork 	 ons, Niraliprakashan., Pune C. and Kapoor, V. K. (1997). Fundamentals of Applied Statist Sultan Chand and Sons Publishers, NewDelhi. J. andCraigR.G.(1989).IntroductiontoMathematicalStatistics, an Publishing Co., NewYork. B. L. (2003). Programmed Statistics, 2nd edition, New Age Int s, NewDelhi. akasarao, (2008). A First Course in Probability and Statistics, Publishing Company. G. (1971). Introduction to Mathematical Statistics, John Wiley at. M. and Graybill, F. A. and Boes D.C. (1974). Introduction to 	ernational World and Sons,
of Statisti 8. Ross S. (2	¹ M. and Graybill, F. A. and Boes D.C. (1974). Introduction to lcs, 3 rd edition, McGraw Hill BookCompany. 2002). A First Course in Probability, 6 th edition, Pearson Educ g Kindersley Publishing,Inc.	
Publisher 10. Walpole	George G. (2016). First course in mathematical statistics.2 nd ed : AcademicPress. and Myres, (1986). Mathematical Statistics,4 th edition, Higher Education.	ition Publisher:

Course Code: 19ScStaU202 Course Name: Descriptive Discrete Probability Distribution - II

Teaching Scheme: TH: 3 Lectures /Week	Credit: 02
Examination Scheme: CIA: 40 Marks	End-Sem: 60 Marks

Objectives: The main objective of this course is to acquaint students with:

- The concept of two dimensional discrete random variable and bivariate probability distribution.
- Discrete probability distributions based on countably infinite sample space.
- Interrelations between these distributions.
- Introduction to continuous probability distributions.

Course outcomes: At the end of the course the students are expected to:

- Identify different real life situations where standard discrete probability distributions can be applied.
- Identify limiting distributions.
- Compute probabilities for different standard discrete and continuous probability distributions

	Title and content	lectures
Chapter 1	Discrete Probability Distributions based on finite sample	9
	space-II	
	1.1 Binomial distribution:p.m.f.	
	P(X = x) =	
	$\begin{cases} \binom{n}{x} & p^{x}q^{(n-x)} & , x = 0, 1,, n. \\ & , 0$	
	, 0 , $q = 1 - p$	
	0 otherwise.	
	Notation : X ~B(n,p)., situations where this distribution is applicable.	
	1.1 mean, variance, recurrence relation for successive probabilities,	
	computation of probabilities of different events, mode	

Course Content:

	of the distribution, m.g.f., c.g.f., moments, skewness	
	(comments when $p = 0.5$, $p > 0.5$, $p < 0.5$), additive	
	property.	
	1.2 Fitting of binomial distribution.	
	1.3 Hypergeometric Distribution :p.m.f	
	P(X = x) =	
	$\begin{cases} \frac{\binom{M}{x}\binom{N-M}{n-x}}{\binom{N}{n}} , x = 0, 1, \dots, \min\{n, M\}, N > M \end{cases}$	
	0 otherwise	
	Notation : $X \sim H(N, M, n)$, situations where this	
	distribution is applicable	
	1.4 mean and variance, binomial approximation to	
	hypergeometric distribution.Computation of	
	probability,	
	1.5 Examples and problems.	
Chapter 2		12
Chapter 2	Bivariate discrete probability distribution2.1 Definition of two-dimensional discrete random	12
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Chapter 2	Bivariate discrete probability distribution2.1 Definition of two-dimensional discrete randomvariable, itsjoint p.m.f. and its distributionfunction and their properties, concept of identicallydistributed random variables.	12
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Chapter 2	 Bivariate discrete probability distribution 2.1 Definition of two-dimensional discrete random variable, its joint p.m.f. and its distribution function and their properties, concept of identically distributed random variables. 2.2 Computation of probabilities of events in bivariate probability distribution. 2.3 Concepts of marginal and conditional 	12
Chapter 2	 Bivariate discrete probability distribution 2.1 Definition of two-dimensional discrete random variable, its joint p.m.f. and its distribution function and their properties, concept of identically distributed random variables. 2.2 Computation of probabilities of events in bivariate probability distribution. 2.3 Concepts of marginal and conditional Probability distributions. 	12
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Chapter 4	Experiential Earning	1
	3.4 Examples and problems	
	memory property. Fitting of geometric distribution.	
	mean, variance, m.g.f, c.g.f., moments, lack of	
	distribution function, recurrence relation, situations where this distribution isapplicable.	
	otherwise distribution function, recurrence relation	
	0	
	Geometric distribution on support (1,2,) with p.m.f. $p(x) = pq^{x-1}$, $x = 1, 2$ $0 ,q = 1 - p.$	
	with p.m.f. $p(x) = pq^{x-1}$, $x = 1, 2,, 0$	
	otherwise	
	0	
	Geometric distribution on support $(0, 1, 2)$, with p.m.f. $p(x) = pq^x$, $x = 0, 1, 2, 0 ,q = 1 - p.$	
	Geometric distribution on support $(0, 1, 2)$, with p m f $p(\mathbf{x}) = pq^{\mathbf{x}}$ $\mathbf{x} = 0, 1, 2$	
	3.2 Geometric distribution: Notation: $X \sim G(p)$,	
	additive property, Poisson distribution as a limiting form of binomial distribution 3.2 Geometric distribution: Notation: X ~G(p),	
	using c.g.f., skewness kurtosis, recurrence relation, conditional distribution $X X + Y$, additive property. Poisson distribution as a	
	Mean, variance and m.g.f, and c.g.f., moments using c.g.f., skewness, kurtosis, recurrence	
	Situations where this distribution isapplicable.	
	0 otherwise	
	$p(x) = \frac{e^{-\lambda}\lambda^{x}}{x!}, x=0,1,2, \lambda > 0$	
	3.1 Poisson distribution : Notation : $X \sim P(\lambda)$.	
	on countably infinite sample space.	
Chapter 3	Univariate discrete probability distributions based	14
	2.14 Examples and problem	
	binomial distribution.	
	2.13 Conditional distribution of X given $(X+Y)$ for	
	probability distributions	

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Course Code: 19ScStaU203 Course Name: Statistics Practical

Teaching Scheme: TH: 3 Lectures /WeekCredit: 02Examination Scheme: CIA: 40 MarksEnd-Sem: 60 Marks

Pre-requisites: Knowledge of the topics in theory papers I and II.

Course Outcome: At the end of this course students are expected to be able

- To use various graphical and diagrammatic techniques and interpret.
- To compute various measures of central tendency, dispersion, skewness and kurtosis.
- To compute correlation coefficient.
- To analyse data pertaining to discrete and continuous variables and to interpret the results,
- To compute probabilities of univariate distributions,
- To interpret summary statistics of output generated by Computer Software.
- To summarize and analyze the data using Computer Software.

	Title of Experiment/ Practical
1	Scatter diagram, correlation coefficient (ungrouped data) Fitting of
	line of regression, residual plot
2	Fitting of second degree curve, exponential curve of type $y = ab^x$,
	$y = a^{x}b$, finding the best fit using mean residual s.s. and coefficient
	of determination Simple linear regression grouped.
3	Scatter diagram, correlation coefficient, fitting a line of regression,
	fitting of second degree curve, using MS Excel
4	Fitting of binomial distribution and computation of expected
	frequencies
5	Fitting of Poisson distribution and computation of expected
	frequencies
6	Applications of binomial and hypergeometric distributions
7	Applications of Poisson and geometric distributions
8	Model sampling from Poisson and binomial distributions
9	Index numbers.
10	Bivariate probability distribution
11	Project